Non-magnetic bright points in 3D simulations of the solar atmosphere

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One Sun, two approaches

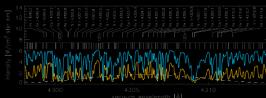
$$\begin{split} \frac{\partial \rho}{\partial t} + \nabla \cdot \left(\rho \mathbf{v} \right) &= 0, \\ \frac{\partial \left(\rho \mathbf{v} \right)}{\partial t} + \nabla \cdot \left(\rho \mathbf{v} \mathbf{v} + \left(P + \frac{\mathbf{B} \cdot \mathbf{B}}{2} \right) \mathbf{I} - \mathbf{B} \mathbf{B} \right) &= \rho \mathbf{g}, \\ \frac{\partial \mathbf{B}}{\partial t} + \nabla \cdot \left(\mathbf{v} \mathbf{B} - \mathbf{B} \mathbf{v} \right) &= 0, \\ \frac{\partial \left(\rho \mathbf{e}_{\mathrm{tot}} \right)}{\partial t} + \nabla \cdot \left(\left(\rho \mathbf{e}_{\mathrm{tot}} + P + \frac{\mathbf{B} \mathbf{B}}{2} \right) \mathbf{v} - \left(\mathbf{v} \cdot \mathbf{B} \right) \mathbf{B} + \mathbf{F}_{\mathrm{rad}} \right) &= 0, \\ + \mathrm{radiative\ transfer} : \frac{\mathrm{d}}{\mathrm{d} s} \mathbf{I}(s) &= -\mathbf{K}(s) \mathbf{I}(s) + \varepsilon(s). \end{split}$$









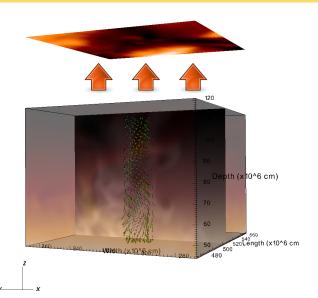


Ideal MHD and RT equations

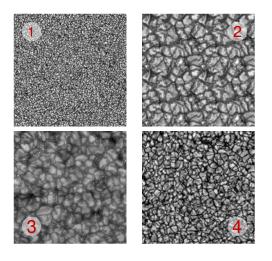
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Radiative transfer: back to 2D images from 3D boxes (post-processing)



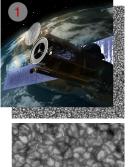
Models and reality: spot the odd one out!

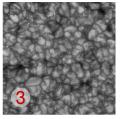


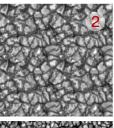
One of these images is a simulation from CSCS... which one?

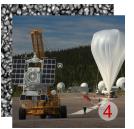
Models and reality: spot the odd one out!











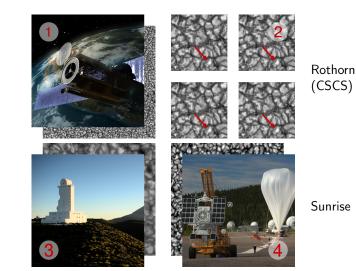
Sunrise

One of these images is a simulation from CSCS... which one?

Models and reality: spot the odd one out!

Hinode

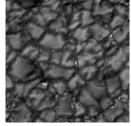
VTT

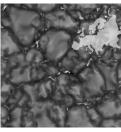


Look carefully at the second image: it cannot possibly be real. Why?

Models and reality at the same scale

Real image





Simulation

GREGOR@ Tenerife

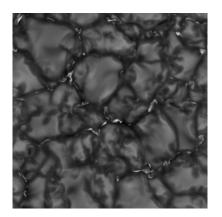


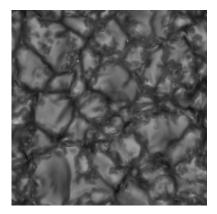


Rothorn@ CSCS

Magnetic and non-magnetic models

White spots emerge from magnetic field concentrations in inter-granular lanes.





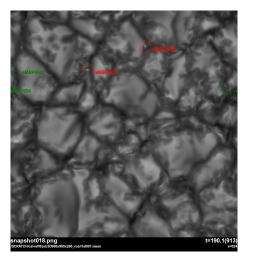
Magnetic model

Non-magnetic model

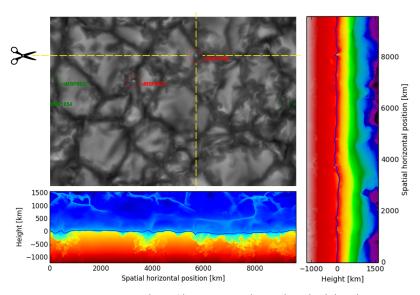
Similar *smaller* white dots have drawn our attention in *non-magnetic* models. Where are they coming from?

Non-magnetic bright points

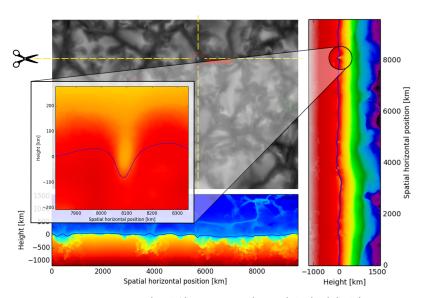
Let's have a look at nMBP0868.



Why is it brighter than its neighbourhood?



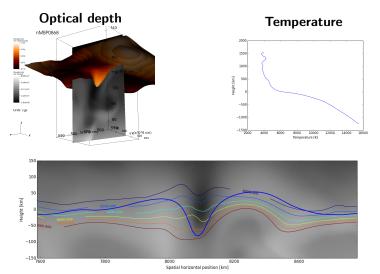
Emergent intensity (top left), temperature (bottom), log(rho) (right)



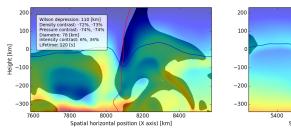
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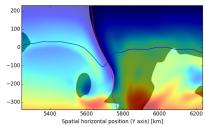
Bolometric emerging intensity

To understand all these contrasts, we have two ingredients:



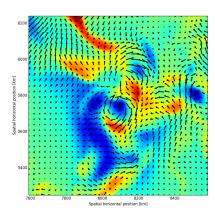
Thick blue: isosurface at $\tau = 1$. Contours: temperature in [K].





- ▶ Constant optical depth $\tau = 1$: blue line
- ▶ Minimum density: red line
- ▶ Density: background color, low (blue) to high (red)
- ▶ Velocity: shadows, light is out of the screen, dark is in the screen

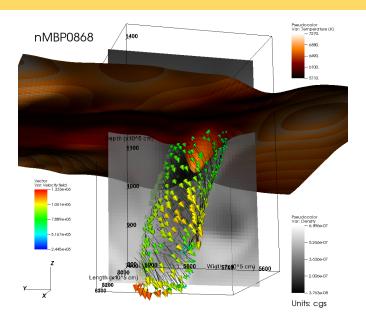
nMBP's ontology



Density (blue: low, red: high) and velocity field in an horizontal plane, 150 [km] below $\langle \tau \rangle =$ 1

nMBP's are regions with:

- ightharpoonup swirls, but about 150 [km] below au=1 there are many swirls that do not produce nMBP's
- low density, but there are also many of those regions which do not produce nMBP's
- high contrast in emergent intensity, but again, not all structures with high contrast and similar size are nMBP's!



Conclusions

- Non-magnetic bright points appear spontaneously in inter-granular lanes
- ► Cool plasma falling inside inter-granular lanes starts swirling faster and faster just as a skater brings his arms along his body



Stéphane Lambiel (Source: http: //www.zimbio.com/photos/Stephane+Lambiel/)



Water swirl (Source : http: //www.neatologie.com/water-sculptures/)

➤ This is similar to the bathtub effect: water swirls and in the "eye" of the swirl pressure and density are lower

A simple model

The Navier-Stokes equation is the non-conservative form is given by:

$$\underbrace{\frac{\partial \mathbf{v}}{\partial t}}_{\text{Field dynamics}} + \underbrace{(\mathbf{v} \cdot \nabla) \mathbf{v}}_{\text{Advection}} + \underbrace{\frac{1}{\rho} \nabla P}_{\text{Gravity}} + \underbrace{\mathbf{g}}_{\text{Gravity}} = 0.$$

In cylindrical coordinates, the advection term reads:

$$(\mathbf{v}\cdot\nabla)\mathbf{v} = (\mathbf{v}\cdot\nabla)v_z\hat{\mathbf{z}} + \left[(\mathbf{v}\cdot\nabla)v_r - \frac{v_\theta^2}{r}\right]\hat{\mathbf{r}} + \left[(\mathbf{v}\cdot\nabla)v_\theta + \frac{v_\theta v_r}{r}\right]\hat{\theta}.$$

Assume a stationary field $\mathbf{v} = v_{\theta}\hat{\theta}$ and $\nabla P = (\partial_r P)\hat{\mathbf{r}} + (\partial_z P)\hat{\mathbf{z}}$:

$$\frac{\partial P}{\partial r} = \frac{v_{\theta}^2}{r}.$$



Opened questions

- ► Are there really such bright points in the Sun? The new generation of telecopes will tell us. . .
- Can one have both magnetic and non-magnetic bright points?
- What if a huge concentration of magnetic field lines was trapped in a tornado?